Integration of a modelling language and a distributed programming language

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- 4 Stop-and-wait ARQ
- 5 Model for the stop-andwait ARQ and its transformation

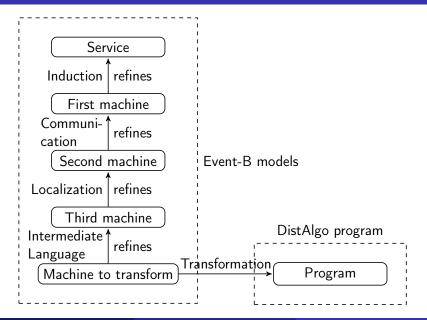
6 Conclusion

Main objective : automatically translate models of distributed algorithms into executable programs.

The models are obtained by refinement with the Event-B method.

The chosen programming language is DistAlgo.

Introduction









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6 Conclusion

- Method for modelling systems
- Based on set theory
- Refinement of models
- Proof assistant and model checker.
- Framework Rodin is used.
- A model consists of contexts and machines

A context specifies

- Types (which are sets)
- Constants
- Axioms and theorems

A machine specifies

- Variables
- Invariants on the variables
- Events which define the state transition of the system.

An *INITIALISATION* event initialises the variables of the machine. Other events are made of :

- Parameters
- Guards on the variables and parameters
- Actions which modify the variables

When there exists values for the parameters for which the guards are true, the event is then enabled.

When an event is enabled, the actions of the event can be observed.







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- Programming language for distributed algorithms
- High level
- Based on Python

A DistAlgo program defines some class of processes and a main method.

The main method instantiates the processes of each class of process and runs them.

A class of processes consists of

- A setup method to initialise the local variables of the process.
- A run method with the program of the process.
- Message handlers that are executed when messages are received.

User methods

Program structure

```
class A(process):
    def setup(args):
        setup_body
    def receive(msg=mexp, from_=pexp):
         receive_body
    def run():
         run_body
class B(process):
def main(*args):
    a = new(A)
    setup(a, (args))
    start(a)
```

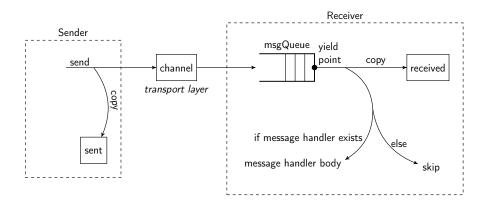
Sending a message : send(mexp, to=pexp)

Messages are received at yield points : await statements. The statement

await(bexp)

triggers the reception of all the messages that arrived before but were not yet received. The process then waits for the condition *bexp* to be true while new messages are received.

When a message is received, corresponding message handlers are executed.









4 Stop-and-wait ARQ

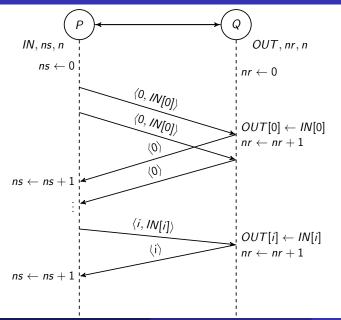
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A process p has an array IN of length n he wants to send to a process q and q wants to copy IN in an array OUT.

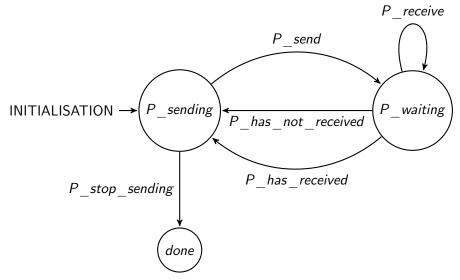
Loss of messages can happen.

Stop-and-wait ARQ

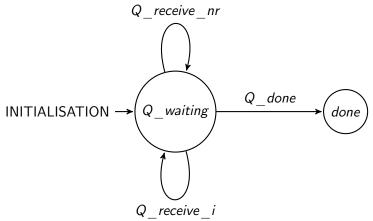


Automata for p

Here is the automata for the program of process p.



Here is the automata for the program of process q.









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CONTEXT C SETS

NODES MESSAGES MESSAGE_TYPES STATES

CONSTANTS

P Q p q class of processes and processes

 $\label{eq:p_sending_p_waiting_Q_waiting_done\ reception_states\ states} send\ receive\ lose\ functions\ for\ communication\ between\ processes} IN\ n\ dest\ @P\ array\ to\ send,\ length\ of\ IN\ and\ dest\ =\ q \\ source\ @Q\ source\ =\ p \\ \end{tabular}$

AXIOMS

END

With the context, we can already get the main structure of the program.

```
class P(process):
class Q(process):
def main():
    p = new(P)
    q = new(Q)
    IN = \dots
    n = ...
    setup(p, (IN, n, q))
    setup(q, (n, p))
    start({p,q})
```

OUT, ns and nr are variables only for this algorithm.

channel is the variable modelling the communication channels.

pc is a function of $\textit{NODES} \rightarrow \textit{STATES}$ which gives the state of each process.

The initialisation of the different variables is the following.

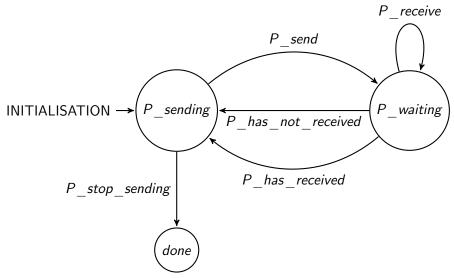
MACHINE
EVENTSInitialisation
thenact1: $OUT := \emptyset$ function with the empty set as domain
act2: ns := 0
act3: nr := 0
act4: channel := emptyChannel
act5: $pc := \{p \mapsto P_sending, q \mapsto Q_waiting\}$ END

The setup method for class P is obtained from the Initialisation event.

```
class P(process):
    def setup(IN, n, dest):
        self.ns = 0
        self.pc = "P_sending"
    def run():
        :
        def receive(...):
        ...
```

Events of p

The different events of p are the transitions of its automata.



P_stop_sending is a local event of computation.

P_send is a sending event.

P_has_received is an await event.

*P*_has_not_received is an await event.

P_receive is a reception event.

Here, $P_waiting$ is the only reception state. Events $P_has_not_received$ and $P_has_received$ are enabled in this reception state and thus are await events.

The event is enabled when ns is greater than the length of IN. It means that p has received all the needed acknowledgements from q and can stop sending data.

```
P\_stop\_sending \stackrel{\frown}{=} when \\grd1: ns \ge n \\grd2: pc(p) = P\_sending \\then \\act1: pc(p) := done
```

The sending event is enabled when ns is less than the length of IN. In this case, p wants to send IN[ns] to q.

$$P_send \cong$$
when
$$grd1: pc(p) = P_sending$$

$$grd2: ns < n$$
then
$$act1: channel := send(channel \mapsto (p \mapsto dest) \mapsto (data \mapsto data2msg(ns \mapsto IN(ns))))$$

$$act2: pc(p) := P waiting$$

Event $P_has_received$ is an await event which is enabled when p has received an acknowledgement for the current value of ns.

```
\begin{array}{l} \mathsf{P\_has\_received} \ \widehat{=} \\ \textbf{when} \\ & \texttt{grd1:} \ pc(p) = P\_waiting \\ & \texttt{grd2:} \ received(channel \mapsto (dest \mapsto p) \mapsto (ack \mapsto nat2msg(ns))) \\ \textbf{then} \\ & \texttt{act1:} \ ns := ns + 1 \end{array}
```

Event $P_has_not_received$ is similar but is enabled when p has not received an acknowledgement for the current value of ns and thus does not increment ns.

act2: pc(p) := P sending

The reception event is enabled when pc(p) is in a reception state (*P_waiting* for this example) and a message is ready to be received by *p*.

```
P\_receive \stackrel{\frown}{=} any \\s m \\where \\grd1: pc(p) \in reception\_states \\grd2: s \in NODES \\grd3: m \in MESSAGE\_FUNCTIONS \times MESSAGES \\grd4: readyToBeReceived(channel \mapsto (s \mapsto p) \mapsto (m)) \\then
```

Transformation of the machine

The different value of pc(p) will corresponds to different methods of the class of p. The value of pc(p) will determine which methods to execute. class P(process): def setup(IN, n, dest): . . . def PSending(): . . . def PWaiting(): . . . def run(): state = {"P_sending":PSending, "P_waiting" : PWaiting } while(self.pc != "done"): states[self.pc]() def receive(...):

. . .

The two events that are enabled in the state $P_sending$ are P_send and $P_stop_sending$. They are translated in the method PSending.

```
def PSending():
    # P_stop_sending
    if(self.ns>self.n):
        self.pc = "done"
    # P_send
    elif(self.ns<=self.n):
        send(('data', (self.ns, self.IN[self.
            ns])), to=self.dest)
        self.pc = "P_waiting"</pre>
```

The two events *P_has_received* and *P_has_not_received* are enabled in the state *P_waiting* which is a reception state. The events are therefore await events and translated in the PWaiting method.

```
def PWaiting():
    # P_has_received
    if await(received(('ack', self.ns), from_=
        self.dest):
        self.ns = self.ns+1
        self.pc = "P_sending"
    # P_has_not_received
    elif(not(received(('ack', self.ns), from_=
        self.dest)):
        self.pc = "P_sending"
```

A reception event is enabled in a reception state and does not change the value of pc. It is translated by a receive method.

It does not do anything special apart from receiving the message in our case.







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I showed with the example of the stop-and-wait algorithm how to transform a specific Event-B model of a distributed algorithm into a program.

The rules of this transformation are currently being defined on a sublanguage of Event-B.

The next goal will be to prove that this transformation is correct and to implement an automatic translation based on this transformation from Event-B to DistAlgo.

 ${\sf Questions}\,?$